

UNIVERSITÀ DEGLI STUDI DI PALERMO

DEPARTMENT	Fisica e Chimica - Emilio Segrè
ACADEMIC YEAR	2016/2017
BACHELOR'S DEGREE (BSC)	PHYSICS
INTEGRATED COURSE	MATHEMATICAL ANALYSIS I
CODE	17210
MODULES	Yes
NUMBER OF MODULES	2
SCIENTIFIC SECTOR(S)	MAT/05
HEAD PROFESSOR(S)	TRAPANI CAMILLO Professore Ordinario Univ. di PALERMO
OTHER PROFESSOR(S)	TRAPANI CAMILLO Professore Ordinario Univ. di PALERMO
	CIRAOLO GIULIO Professore Associato Univ. di PALERMO
CREDITS	12
PROPAEDEUTICAL SUBJECTS	
MUTUALIZATION	SEQUENCES, LIMITS, CONTINUITY - Corso: MATHEMATICS
	SEQUENCES, LIMITS, CONTINUITY - Corso: MATEMATICA
YEAR	1
TERM (SEMESTER)	1° semester
ATTENDANCE	Not mandatory
EVALUATION	Out of 30
TEACHER OFFICE HOURS	CIRAOLO GIULIO
	Thursday 14:30 16:30 Studio del docente: Dipartimento di Matematica e Informatica, Via Archirafi 34, I piano, stanza 5
	TRAPANI CAMILLO
	Wednesday 14:30 16:30 Studio del docente: Dipartimento di Matematica e Informatica, Via Archirafi 34, 1º Piano, Ufficio 115b

DOCENTE: Prof. CAMILLO TRAPANI

PREREQUISITES	The prerequisites are those provided by the Board for access to the degree course
LEARNING OUTCOMES	KNOWLEDGE AND UNDESTANDING: The student must know the basic concepts of mathematical analysis (real numbers, limits, derivatives, integrals) APPLYING KNOWLEDGE AND UNDERSTANDING: The student must acquire the ability to use the mathematical tools presented in the course and to use them in theoretical or applicative situations other than those typical of the course. MAKING JUDGEMENT: the student must be able to analyze the data of a problem and identify the mathematical tools to solve it. COMMUNICATION SKILL: the student must be able to express mathematical concepts in a correct and complete way. LEARNING SKILLS: the student must be able to develop and deepen independently additional skills with reference, in particular, to the consultation of bibliographic material.
ASSESSMENT METHODS	Final assessment consists of a written test and an oral test. Written tests regards the resolution, without the aid of textbooks or notes, of a number of questions concerning the various topics covered in the course. The written test is intended to evaluate not only the acquired computing capacity, but also the degree of knowledge of the concepts and theorems presented in the course and the ability of the students to apply them independently. The oral test consists of an interview concerning the enunciation and demonstration of key results presented in the course and their application to simple theoretical or practical questions. The interview allows to evaluate, not only the knowledges of the candidate and his ability to apply them, but also the possession of property 'of language and mathematical rigor. The final assessment, properly graded, will be made on the basis of following conditions: a) Basic knowledge of the proposed topics and limited capacity to apply them independently; sufficient capacity to carry out a rigorous reasoning and sufficient command of the language (18-21 rating); b) good knowledge of the proposed topics and fairly good capacity to apply them independently; good ability to complete a rigorous reasoning and good properties of language (22-25 rating); c) In-depth knowledge of the proposed topics and ability to apply them with mathematical rigor, but not independently; possess of good mathematical language (26-28 rating); d) in-depth and extensive knowledge of the proposed topics; ability to apply them with readiness, rigor and independently; possess of excellent communication skills (29-30L vote).
TEACHING METHODS	Lectures and other didactical activities last the whole year but take place in the two educational periods of the first year of the degree course. The didactical activity is developed through lectures and exercises. At the end of each teaching module there will be a written (not compulsory) test whose positive outcome can replace, in whole or in part, the final written test.

MODULE INTRODUCTORY ANALYSIS ISSUES

Prof. CAMILLO TRAPANI

Prof. CAMIL	LO TRAPANI
SUGGESTED BIBLIOGRAPHY	
C.Trapani, Analisi Matematica (funzioni di una variabile reale), E.Acerbi, G. Buttazzo, Primo corso di Analisi matematica, Pitag A. Bacciotti, F. Ricci, Analisi Matematica 1, Liguori P.Marcellini, C. Sbordone, Esercitazioni di matematica, I,II, Ligu C. Trapani e R. Messina, Esercizi di Analisi uno, Aracne 2004	McGraw-Hill 2015 Jora Editrice uori
AMBIT	50164-Discipline matematiche e informatiche
INDIVIDUAL STUDY (Hrs)	94
COURSE ACTIVITY (Hrs)	56
EDUCATIONAL OBJECTIVES OF THE MODULE	

This module is aimed to the acquisition of the fundamental aspects of Real Analysis , of the structure properties of number sets and of the concepts of limit, continuity and their applications.

	SYLLABUS
Hrs	Frontal teaching
5	Ordered sets, Natural numbers and induction principle; Integers and rational numbers
5	Supremum and infimun of a set; Real numbers and their completeness (various characterizations); Complex numbers.
5	Real functions and their basic properties (monotonicity, parity, etc); Elementary functions and their inverses (trigonometric functions, exponentials and logarithms, hyperbolic functions)
5	The topology of the real line (open and closed sets; adherence points, cluster points and their existence); Intervals of the real numbers; Numerical sequences
7	Limits of functions and of sequences; Continuous function at a point; Local comparison of functions and sequences; Infinitesimal and infinite functions
5	Continuous functions on an interval (Intermediate values; Weierstrass theorem; continuity of the inverse function; uniform continuity; Lipschitz functions)
Hrs	Practice
3	Exercises on the numerical sets and on the induction principle
4	Exercises on real numbers and on the algebra of complex numbers
5	Exercises on elementary functions and on their inversion
4	Exercises on the topology of the real line
5	Exercises on continuous functions and their properties
7	Exercises on the calculus of limits and on local comparisons

MODULE SINGLE VARIABLE DIFFERENTIAL AND INTEGRAL CALCULUS

Prof. GIULIO CIRAOLO

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SUGGESTED BIBLIOGRAPHY	
C. Trapani, Analisi Matematica (funzioni di una variabile r C. Trapani e R. Messina, Esercizi di Analisi uno, Aracne 2 E. Giusti, Analisi Matematica I, Bollati Boringhieri, 2012. P. Marcellini, C. Sbordone, Esercitazioni di matematica vo	eale), McGraw-Hill 2015 2004 bl.1, Liguori Editore, 1988
AMBIT	50164-Discipline matematiche e informatiche
INDIVIDUAL STUDY (Hrs)	94
COURSE ACTIVITY (Hrs)	56
EDUCATIONAL OBJECTIVES OF THE MODULE	
This module is aimed to the acquisition of the fundaments	al aspects of differential and integral calculus and the ability to apply

This module is aimed to the acquisition of the fundamental aspects of differential and integral calculus and the ability to apply them in a scientific context.

	SYLLABUS
Hrs	Frontal teaching
4	Derivative and differential
6	Fundamental theorems of differential calculus
5	Convex functions. Taylor formula.
8	Riemann integral. Primitives of a function. Methods of integration. Applications.
5	Improper integrals
4	Series
Hrs	Practice
Hrs 6	Practice Exercises and complements on derivatives and differentials.
Hrs 6 6	Practice Exercises and complements on derivatives and differentials. Exercises and complements on fundamental theorems of differential calculus and convex functions.
Hrs 6 6 4	Practice Exercises and complements on derivatives and differentials. Exercises and complements on fundamental theorems of differential calculus and convex functions. Exercises and complements on Taylor formula and applications to limits.
Hrs 6 6 4 6	Practice Exercises and complements on derivatives and differentials. Exercises and complements on fundamental theorems of differential calculus and convex functions. Exercises and complements on Taylor formula and applications to limits. Exercises and complements on integrals.
Hrs 6 6 4 6 3	Practice Exercises and complements on derivatives and differentials. Exercises and complements on fundamental theorems of differential calculus and convex functions. Exercises and complements on Taylor formula and applications to limits. Exercises and complements on integrals. Exercises on improper integrals.